



Our Father's Identity

You are my witnesses, says Yahuah, and my servant whom I have chosen: that you may know and believe me, and understand that I am he: before me there was no Elohiym formed, neither shall there be after me.

YESHAYAHU (ISAIAH) 43:10

The Value of Statistics

Statistics is a discipline in Mathematics which can be calculated and are unbiased. Numbers do not lie. The discipline of statistics evaluates the probability of an event occurring by random chance. Rolling dice is a perfect example often used to illustrate statistics and probability. When we toss the die on the table, there are six possibilities because there are six sides to a die. People have one chance in six to roll a two because the number two is one of six options. It can be expressed as $1/6$ in a fraction.



Fraction

$$\frac{1}{6}$$

One side has two dots
There are 6 sides to a die

When we divide 1 by 6, we get .1667 which is about 17%. We have a 17% chance of rolling a two.

$$1 \text{ divided by } 6 = .17 \text{ or } 17\%$$

If we flip a coin, we have two possibilities because there are only two sides: heads or tails. This fraction can be expressed as $\frac{1}{2}$ which is 50%. The probability of our coin landing on the ground with the head facing up is more probable than us rolling a die and having the side with two dots appear facing-up. With the coin, there are only two options and not six. When there are fewer options, there are more favorable odds of receiving desired results.

Now, let us consider a lottery example. The following excerpt provides the statistical probability of winning the lottery with *Powerball* and *Mega Millions*:

Your chance of taking home the top prize is tiny. The odds in any lottery are about one in 300 million. That's about 1 in 292.2 million for Powerball and 1 in 302.6 million for Mega Millions. <https://www.nbcbayarea.com/news/national-international/what-increases-chance-lottery-win/3408041>

The odds are essentially the same between both of these lotteries. The fraction could be represented the following way: $1/300,000,000$. When we do the division on a calculator, this is the number we get. We have included the answer in scientific notation as well.

$$0.00000000333... \text{ or } 3.33 \times 10^{-9}$$

The odds of winning either one of these lotteries is very tiny when compared to flipping a coin. Winning the lottery is a very tiny fraction of 1%. Whereas flipping the coin and having it land heads-up is 50%. Based on this mathematical evidence, winning the lottery is a rare event but not entirely impossible. Many people do not play the lottery because they consider these odds as something nearly impossible which includes myself. This may prompt us to ask the following question.

In mathematics, what odds make an event statistically improbable?

Emile Borel was a brilliant French Mathematician born in the late 1800's. He introduced the concept of "practical impossibility". Giancarlo Sanchez wrote an article titled, *The Line Between Improbable and Impossible: Émile Borel's Practical Impossibility*. He explains Borel's concept (emphasis added):

French mathematician Émile Borel introduced the concept of practical impossibility, which helps distinguish between events that are just extremely unlikely and those that are, for all intents and purposes, impossible within the physical universe. As a pioneer in probability theory and measure theory, his work was foundational for 20th-century mathematics. <https://gianksp.com/the-line-between-improbable-and-impossible-%C3%A9mile-borels-practical-impossibility-c7c0dca469ec>

Giancarlo Sanchez continues in his article and explains the process Emile Borel used to come to these conclusions. It is technical but is widely accepted in Mathematics.

Émile Borel defined practical impossibility by examining the fundamental limits of the universe. He considered two key properties: the number of atoms (around 10^{80}) and the smallest measurable unit of time, Planck time (with approximately 5.39×10^{44} Planck intervals in a single second, resulting in 10^{63} intervals since the Big Bang). These values represent the maximum number of physical opportunities for events to occur, assuming every atom in the universe could participate in a potential event at every moment. Multiplying these gives a theoretical limit of 10^{143} possible events over the universe's entire lifespan. Borel set the threshold for practical impossibility at 1 in 10^{50} , a probability far below what can be physically realized, ensuring that such events have no realistic chance of ever occurring. He used these cosmic limits to establish a clear distinction between improbable events — such as winning the lottery — and practically impossible events, like randomly picking a specific atom in the cosmos which surpasses even the universe's capacity for chance interactions. This framework provides a robust way to evaluate what can and cannot happen within the constraints of time and space. <https://gianksp.com/the-line-between-improbable-and-impossible-%C3%A9mile-borels-practical-impossibility-c7c0dca469ec>

The probability of an event "never" happening is expressed as zero in statistics. However, certain numbers dictate that an event is highly improbable. According to Borel the probability

